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Noise in electronic circuits

Jerzy Witkowski p.132a,b -4

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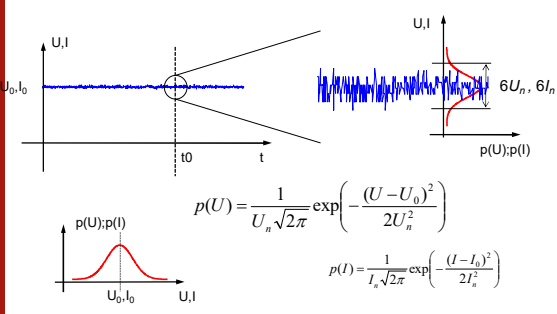
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Noise in electronic circuits



$$p(U) = \frac{1}{U_n \sqrt{2\pi}} \exp\left(-\frac{(U-U_0)^2}{2U_n^2}\right)$$

$$p(I) = \frac{1}{I_n \sqrt{2\pi}} \exp\left(-\frac{(I-I_0)^2}{2I_n^2}\right)$$

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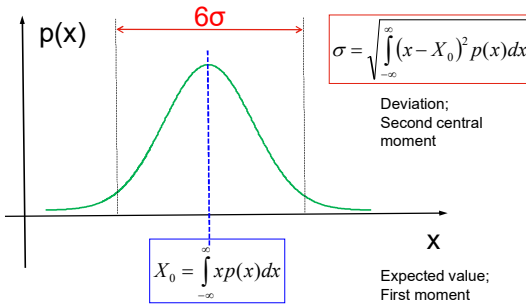
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Normal distribution  
(Gauss distribution)



$$X_0 = \int_{-\infty}^{\infty} xp(x)dx$$
 Expected value;  
First moment

$$\sigma = \sqrt{\int_{-\infty}^{\infty} (x - X_0)^2 p(x)dx}$$
 Deviation;  
Second central moment

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## Crest factor = Max/RMS

def.: ratio of amplitude(max value) to RMS

$$\frac{|U_{\max} - U_o|}{U_n} = 3$$

Means: amplitude of signal is higher than  $3U_n$  for 0.3% of time

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## RMS of current

Assumtuon: noise is stationary and ergodic process

$$P = I_{RMS}^2 R = \frac{U_{RMS}^2}{R}$$
Power

$$I_{RMS} = \sqrt{\lim_{T \rightarrow \infty} \frac{1}{T} \int_0^T I^2(t) dt}$$
RMS

$$I_0 = \sqrt{\lim_{T \rightarrow \infty} \frac{1}{T} \int_0^T I dt} = \int_{-\infty}^{\infty} I p(I) dI$$
Mean (average)

$$I_{n(RMS)} = \sqrt{\lim_{T \rightarrow \infty} \frac{1}{T} \int_0^T (I - I_0)^2 dt} = \int_{-\infty}^{\infty} (I - I_0)^2 p(I) dI = I_n$$
RMS of noise component

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## RMS of voltage

$$P = I_{RMS}^2 R = \frac{U_{RMS}^2}{R}$$
Power

$$U_{RMS} = \sqrt{\lim_{T \rightarrow \infty} \frac{1}{T} \int_0^T U^2(t) dt}$$
RMS

$$U_0 = \sqrt{\lim_{T \rightarrow \infty} \frac{1}{T} \int_0^T U dt} = \int_{-\infty}^{\infty} U p(U) dU$$
Mean (average)

$$U_{n(RMS)} = \sqrt{\lim_{T \rightarrow \infty} \frac{1}{T} \int_0^T (U - U_0)^2 dt} = \int_{-\infty}^{\infty} (U - U_0)^2 p(U) dU = U_n$$
RMS of noise component

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## Sources of noise

- Thermal noise (Johnson noise, Johnson–Nyquist noise)
  - (due to fluctuations of discrete charges)
- Shot noise
  - (due to electric current being the flow of discrete charges; Poisson distribution)
- Flicker noise (1/f , structural, Schottky)
  - (probably caused by temperature fluctuations modulating the resistance)

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## Other noise sources (types)

- Burst (random telegraph noise - RTN, popcorn noise, impulse noise, bi-stable noise)
  - ( random trapping and release of **charge carriers** at thin film interfaces or at defect sites in bulk **semiconductor** crystal)
- Avalanche noise
  - (avalanche breakdown in reverse-biased junctions and the leakage current which can be multiplied by the avalanche phenomenon)

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## Thermal noise (Johnson, s)

- Caused by thermal fluctuation of charge
- Exist in every resistor;
- Uniform spectra density - white noise; (up to 10<sup>13</sup> Hz)
- Gaussian distribution.

$$U_n = \sqrt{4kTRB}$$

$$I_n = \sqrt{\frac{4kTB}{R}}$$

k – Boltzman constant = 1,38•10<sup>-23</sup> [J/K],  
 T – temperature [K],  
 B – bandwidth [Hz],  
 R – resistivity.

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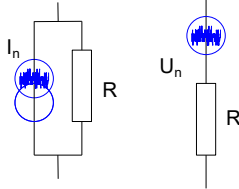
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## Resistor noise

$$U_n = \sqrt{4kTRB}$$

$$I_n = \sqrt{\frac{4kTB}{R}}$$




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## Power & spectra density (for resistor)

$$\frac{U_n^2}{R} = 4kTB [W]$$

$$I_n^2 R = 4kTB [W]$$

$$\frac{\frac{U_n^2}{R}}{B} = 4kT \left[ \frac{W}{Hz} \right]$$

$$\frac{I_n^2 R}{B} = 4kT \left[ \frac{W}{Hz} \right]$$

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## Practical units (for resistors)

$$U_n = \sqrt{4kTRB} = \sqrt{4kTR} \cdot \sqrt{B}$$

$$I_n = \sqrt{\frac{4kTB}{R}} = \sqrt{\frac{4kT}{R}} \cdot \sqrt{B}$$

$$\frac{U_n}{\sqrt{B}} = \sqrt{4kTR} \left[ \frac{V}{\sqrt{Hz}} \right]$$

$$\frac{I_n}{\sqrt{B}} = \sqrt{\frac{4kT}{R}} \left[ \frac{A}{\sqrt{Hz}} \right]$$

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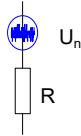
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## Examples



$$\frac{U_n}{\sqrt{BR}} = \sqrt{4kT} \left[ \frac{V}{\sqrt{Hz \cdot \Omega}} \right] = 0.13 \left[ \frac{nV}{\sqrt{Hz \cdot \Omega}} \right] = 0.13 \left[ \frac{\mu V}{\sqrt{kHz \cdot k\Omega}} \right]$$

R	B	U <sub>n</sub> [μV]
100 Ω	20 kHz	0,18 μV
100 Ω	2 MHz	1,8 μV
10 kΩ	20kHz	1,8 μV
75 Ω	1GHz	35 μV

T=293 K (20° C);  
k=1,38·10<sup>-23</sup> J/K

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## Shot noise (Schottky noise)

- due to electric current being the flow of discrete charges; *Poisson distribution*
- Gaussian distribution - white noise.

$$I_n = \sqrt{2qI_0B}$$

I<sub>0</sub> – current,  
q – elementary charge,  
(e=1,6·10<sup>-19</sup> C)  
B – bandwidth .

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## Flicker - 1/f

- Excess noise (other shot & thermal)
- Power spectra is inversely proportional to frequency - **Not the white noise !**
- Depends of technology (materials)
- In case of biasing only (U<sub>0</sub>>0) !,

$$U_n = K_u U_0 \sqrt{\frac{B}{f}}$$

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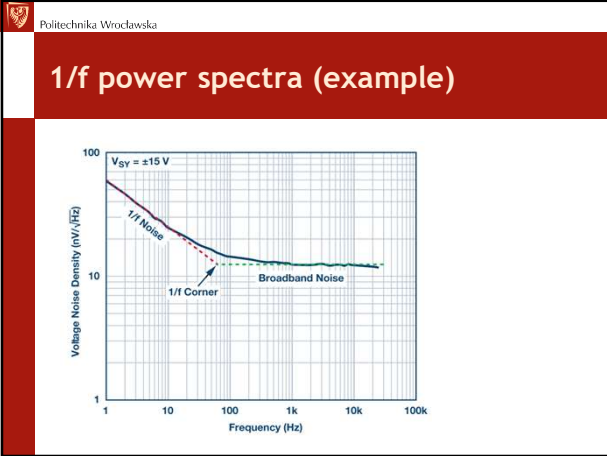
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### 1/f

(examples for different resistors)

$$\frac{U_n}{U_0} = K_u \sqrt{\frac{B}{f}} \approx 2,3 K_u$$

Carbon bulk	0,1 - 3 $\mu\text{V/V}$
Carbon film	0,05 - 0,3 $\mu\text{V/V}$
Metal film	0,02 - 0,2 $\mu\text{V/V}$
wire	0,01 - 0,2 $\mu\text{V/V}$

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### Burst noise

(random telegraph noise - RTN, popcorn noise, impulse noise, bi-stable noise)

- Low frequency noise,
- Especially in OpAmps (not only),
- Not Gaussian !!!!

( random trapping and release of charge carriers at thin film interfaces or at defect sites in bulk semiconductor crystal)

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## Avalanche noise

- avalanche breakdown in reverse-biased junctions and the leakage current which can be multiplied by the avalanche phenomenon; *Poisson distribution*.
- Electric field can accelerate electrons to high speeds, causing them to collide with other atoms and generate more electron-hole pairs (avalanche).
- White noise Gaussian distribution

$$I_n = \frac{2qI_0}{(2\pi\tau)^2} \quad \tau - \text{average collision time}$$

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## Summing up noise

$$U_n = \sqrt{U_{n1}^2 + U_{n2}^2 + \dots + U_{nK}^2}$$

$$U_n = \sqrt{(U_{n1} + U_{n2})^2} = \sqrt{U_{n1}^2 + U_{n2}^2 + 2U_{n1}U_{n2}C}$$

Correlation coefficient  
C=0

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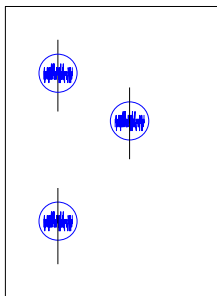
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## Noise calculation (not correlated noise)



1. Superposition theorem
2. Sum up squares !!!!
3. calculate the root .

~~$$U_n = U_{n1} + U_{n2} + \dots + U_{nK}$$~~

$$U_n = \sqrt{U_{n1}^2 + U_{n2}^2 + \dots + U_{nK}^2}$$

$$\frac{U_n}{\sqrt{B}} = \sqrt{\left(\frac{U_{n1}}{\sqrt{B}}\right)^2 + \left(\frac{U_{n2}}{\sqrt{B}}\right)^2 + \dots + \left(\frac{U_{nK}}{\sqrt{B}}\right)^2}$$

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## Noise transfered by linear circuits

$$U_{nO} = \sqrt{\int_0^{\infty} |H(f)|^2 \left( \frac{U_n(f)}{\sqrt{\Delta f}} \right)^2 df}$$

Spectral density  $\left[ \frac{V}{\sqrt{Hz}} \right]$

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## Noise bandwidth

$$U_{nO} = \sqrt{\int_0^{\infty} |H(f)|^2 \left( \frac{U_n}{\sqrt{\Delta f}} \right)^2 df} \approx \sqrt{\left( \frac{U_n}{\sqrt{\Delta f}} \right)^2 B}$$

$$B = \frac{\int_0^{\infty} |H(f)|^2 df}{|H(f)|_{\max}^2}$$


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## Noise bandwidth

$$1,57(f_g - f_d) = B > (f_g - f_d)$$

1,57 – 1,02 depends on slops  
1,57 – for 20dB/dec (1st order filter)

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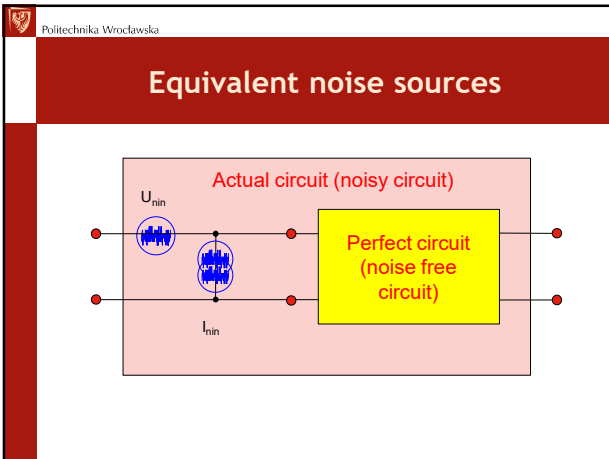
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## OpAmp noise

Gain Bandwidth Product	GBP		2	MHz
<b>NOISE PERFORMANCE</b>				
Voltage Noise	$e_n$ p-p	0.1 Hz to 10 Hz	0.5	$\mu V$ p-p
Voltage Noise Density	$e_n$	$f = 1$ kHz	22	nV/ $\sqrt{Hz}$
Current Noise Density	$i_n$	$f = 10$ Hz	5	fA/ $\sqrt{Hz}$

$f$	t-factor	$C_L = 100$ pF	See figure 1	20%	20%	
$V_n$	Equivalent input noise voltage	$R_S = 20 \Omega$	$f = 1$ kHz	18	18	nV/ $\sqrt{Hz}$
			$f = 10$ Hz to 10 kHz	4	4	$\mu V$
$I_n$	Equivalent input noise current	$R_S = 20 \Omega$	$f = 1$ kHz	0.01	0.01	pA/ $\sqrt{Hz}$

$V_{noise} = 0.5 V$      $\Delta f = 1$

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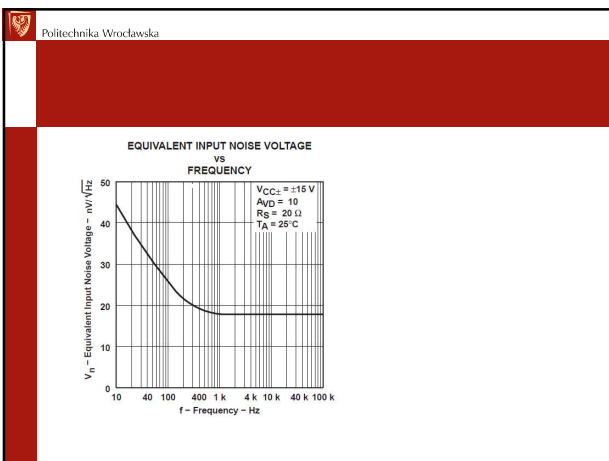
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## Equivalent noise sources - $U_n$ measurement

$$G_U = \frac{U_{out}}{U_{in}}$$

$$U_{nin} = \frac{U_{nout}}{G_U}$$


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## Equivalent noise sources - $I_n$ estimation

$$G'_U = \frac{U_{out}}{U_{in}}$$

$$U_{nout} = G'_U \sqrt{4kTRB + U_{nin}^2 + I_{ni}^2 R^2}$$

$$I_{nin} = \frac{1}{R} \sqrt{\left(\frac{U_{nout}}{G'_U}\right)^2 - 4kTRB - U_{nin}^2}$$


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## Noise factor

Noise free circuit

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## Noise factor -definition

$U_{n1} = \sqrt{U_{nRg}^2} = \sqrt{4kTR_g B}$

$U_{n2} = \sqrt{U_{nRg}^2 + U_{nin}^2 + (R_g I_{nin})^2}$

$F = \frac{4kTR_g + U_{nin}^2 + (R_g I_{nin})^2}{4kTR_g} > 1$

Total noise power  
Source + circuit  
Source noise power

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## Application tips - Noise extimation

$F = \frac{(130)^2 + (200)^2 + (100)^2 + (41)^2 + (126)^2}{(130)^2} = \frac{(130)^2 + (260)^2}{(130)^2} = 1 + 4 = 5 = 7dB$

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## Noise factor measurement - noise generator

$U_{nout} = G_v U_{ni}$

$2U_{nout} = G_v \sqrt{U_{nin}^2 + U_{ng}^2}$

$U_{nin} = U_{ng}$

$F = 1 + \frac{U_{ng}^2}{4kTR_g} = 1 + \frac{U_n^2 + (I_n R_g)^2}{4kTR_g}$

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## Noise factor cont.

$$U_{n2} = \sqrt{U_{nRg}^2 + U_{nin}^2 + (R_g I_{ni})^2} = U_{nRg} \sqrt{1 + \frac{U_{nin}^2 + (R_g I_{ni})^2}{U_{nRg}^2}} = U_{nRg} \sqrt{F} = \sqrt{4kTR_g F}$$


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## Noise matching

$$F(R_g) = \frac{4kT_g + U_{nin}^2 + (R_g I_{ni})^2}{4kTR_g}$$

$$\frac{dF}{dR_g} = 0 \Rightarrow F_{opt}(R_{gopt}) = 1 + \frac{U_{nin} I_{nin}}{2kT}$$

$$R_{gopt} = \frac{U_{nin}}{I_{nin}}$$


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## Transformer noise matching (a perfect transformer does not introduce noise)

$$F(R_g) = 1 + \frac{U_n^2 + (R_s p^2 I_n)^2}{4kTR_s p^2}$$

$$R_{gopt} = \frac{U_n}{I_n} = R_s p^2$$

$$p_{opt} = \sqrt{\frac{R_{gopt}}{R_s}} = \sqrt{\frac{U_n / I_n}{R_s}}$$


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## Remarks !!!!!

- The noise matchig is NOT the power matching !!! they are differen !!!!!
- $R_{input}$  of circuit is not  $U_n/I_n$  !!!!
- $U_n/I_n$  is not resistivity in fact - this is just a parameter !!!!

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## Noise factor - basic definition

$$F = \frac{4kTR_g + U_{n_{in}}^2 + (R_g I_{ni})^2}{4kTR_g} = \frac{N_{in} + N_{circuit}}{N_{in}}$$

$$= \frac{N_{out}/G^2}{N_{in}} =$$

$$= \frac{1}{G^2} \frac{N_{out}}{N_{in}} = \frac{1}{S_{in}} \cdot \frac{N_{out}}{N_{in}} = \frac{S_{in}/N_{in}}{S_{out}/N_{out}} =$$

$$= \frac{SNR_{in}}{SNR_{out}} > 1$$

SNR input

SNR output

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## Noise factor [dB]

$$F = \frac{4kTR_g + U_{n_{in}}^2 + (R_g I_{ni})^2}{4kTR_g} \cdot \frac{G^2}{G^2}$$

Total noise power  
Source + circuit  
(on output)

Source noise power  
(on output)

$$F_{dB} = 10 \log \left( 1 + \frac{U_{n_{in}}^2 + (R_g I_{ni})^2}{4kTR_g} \right)$$


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### Example

$E_{sig} = 4,4 \text{ mV}$   
 $R = 300 \Omega$   
 $T = 240 \text{ K}$  (noise temperature)  
 $B = 5 \text{ MHz}$   
 $P_{sig} = kTB = 1,6e-14 \text{ W}$   
 $U_n = 4,4 \mu\text{V}$

$SNR = 60 \text{ dB}$   
 attenuation 6 dB  
 $SNR = 54 \text{ dB}$   
 $U_{sig} = 2,2 \text{ mV}$   
 $F = 14 \text{ dB}$   
 $SNR = 40 \text{ dB}$  (before demodulation)

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### Noise temperature of an amplifier

$$F = \frac{4kTR_g + U_{nnt}^2 + (R_g I_{nin})^2}{4kTR_g} = \frac{4k(T_0 + T_n)R_g}{4kT_0R_g} = 1 + \frac{T_n}{T_0}$$

$$T_n = T_0(F - 1); \quad T_0 = 290 \text{ K}$$


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### Cascade of amplifiers

$$F = F_1 + \frac{F_2 - 1}{G_1} + \frac{F_3 - 1}{G_1 G_2} + \dots + \frac{F_k - 1}{G_1 G_2 \dots G_{P(k-1)}}$$


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## Cascade of amplifiers cont.

$$F = F_1 + \frac{F_2 - 1}{G_{P1}} + \frac{F_3 - 1}{G_{P1}G_{P2}} + \dots + \frac{F_k - 1}{G_{P1}G_{P2} \dots G_{P(k-1)}} \quad T_n = T_{n1} + \frac{T_{n2}}{G_{P1}} + \frac{T_{n3}}{G_{P1}G_{P2}} + \dots + \frac{T_{nk}}{G_{P1}G_{P2} \dots G_{P(k-1)}}$$

$$G_{P1}G_{P2} \dots G_{P(k-1)} = \left( \frac{R_{in1}}{R_g + R_{in1}} G_{U1} \right)^2 \frac{R_g}{R_{o1}} \left( \frac{R_{in2}}{R_{o1} + R_{in2}} G_{U2} \right)^2 \frac{R_{in2}}{R_{o2}} \dots =$$

$$= \left( \frac{R_{in1}}{R_g + R_{in1}} G_{U1} \right)^2 \left( \frac{R_{in2}}{R_{o1} + R_{in2}} G_{U2} \right)^2 \frac{R_g}{R_{o2}} \dots =$$

$$= \underbrace{\left( \frac{R_{in1}}{R_g + R_{in1}} G_{U1} \right)^2}_{(G_{1,available})^2} \underbrace{\left( \frac{R_{in2}}{R_{o1} + R_{in2}} G_{U2} \right)^2}_{(G_{2,available})^2} \dots \frac{R_g}{R_{o(k-1)}}$$

Available Power Gain ( $G_a$ ) =  $\frac{U_{o(k-1)}^2}{4R_{o(k-1)}} \Big/ \frac{U_g^2}{4R_g}$   
 = Available Output Power / Available Source Power

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## example amplifiers + attenuators (CTV)

$$F_{total} = F + \frac{G-1}{G} + \frac{F-1}{G \cdot \frac{1}{G}} + \frac{G-1}{G \cdot \frac{1}{G} \cdot G} + \frac{F-1}{G \cdot \frac{1}{G} \cdot G \cdot \frac{1}{G}} = 3F - \frac{2}{G}$$

amplification: G, 1/G, G, 1/G, G

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## Noise factor optimization

$$F = F_1 + \frac{F_2 - 1}{G_{P1}} + \frac{F_3 - 1}{G_{P1}G_{P2}} + \dots + \frac{F_k - 1}{G_{P1}G_{P2} \dots G_{P(k-1)}}$$

$$F_{12} = F_1 + \frac{F_2 - 1}{G_{P1}} \quad ? \quad F_{21} = F_2 + \frac{F_1 - 1}{G_{P2}}$$

The first should be an amplifier with the lowest noise level, i.e. a low noise factor and high gain  
 !!!!  $\frac{F-1}{1 - \frac{1}{G_p}}$

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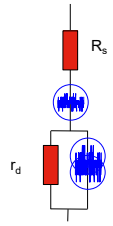
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## Noise of semiconductor junction



$$U_n^2 = 4kTR_S B$$

$$I_n^2 = 2qI_D B + K \frac{I_D^\alpha}{f} B$$

dynamic resistance does not hum because it is not "ohmic resistance"

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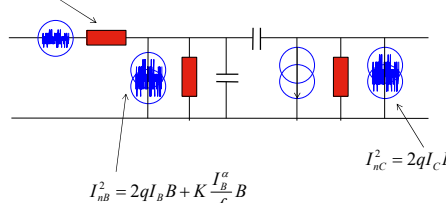
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## Noise of BJT



$$U_{nB}^2 = 4kTR_{bb'} B$$

$$I_{nB}^2 = 2qI_B B + K \frac{I_B^\alpha}{f} B$$

$$I_{nC}^2 = 2qI_C B$$

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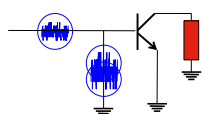
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## Noise of BJT



$$U_n^2 = 4kT \left( R_{bb'} + \frac{\varphi_r}{2I_C} \right) B$$

1 – 100 nV/√Hz  
Low noise transistor

$$I_n^2 = 2q \left( I_B + K \frac{I_B^\alpha}{2qf} + \frac{I_C}{|\beta(j\omega)|^2} \right) B$$

0,1 – 10 pA/√Hz  
Low noise transistor

$$\beta(j\omega) = \frac{\beta_0}{1 + j\frac{\omega}{\omega_\beta}}$$

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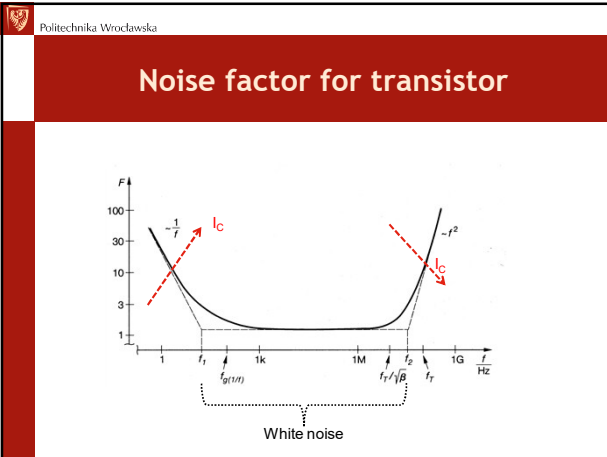
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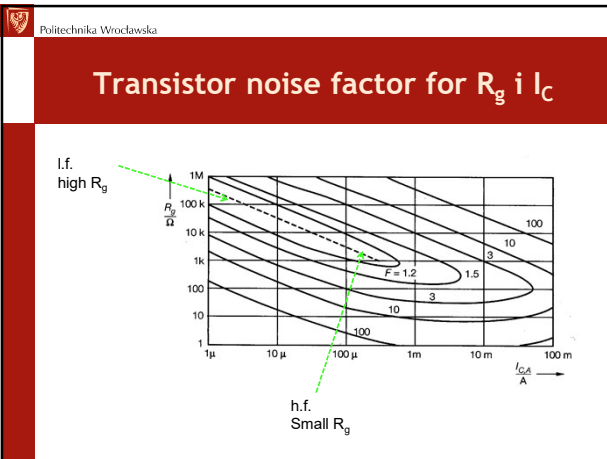
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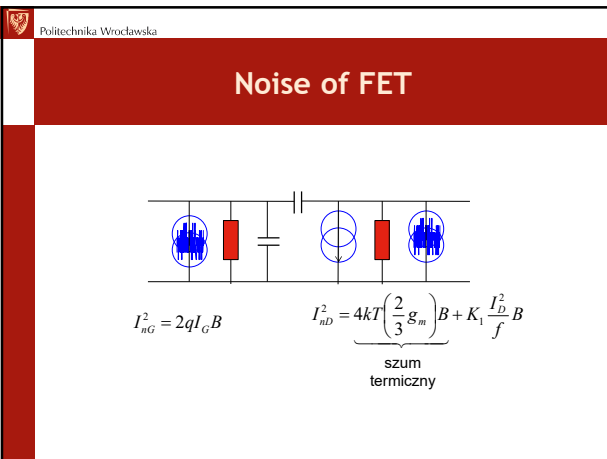
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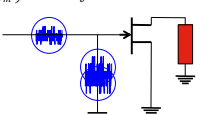
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## Noise of FET

$$U_n^2 = 4kT \left( \frac{2}{3g_m} \right) B + K_f \frac{B}{f}$$

1 – 1000 nV/√Hz  
For low noise transistors



$$I_n^2 = 2qI_C B + \left( \frac{\omega C_{gs}}{g_m} \right)^2 \left( 4kT \frac{2g_m}{3} + K_f \frac{I_D^2}{f} \right) B$$

0,1 – 100 fA/√Hz  
For low noise transistors

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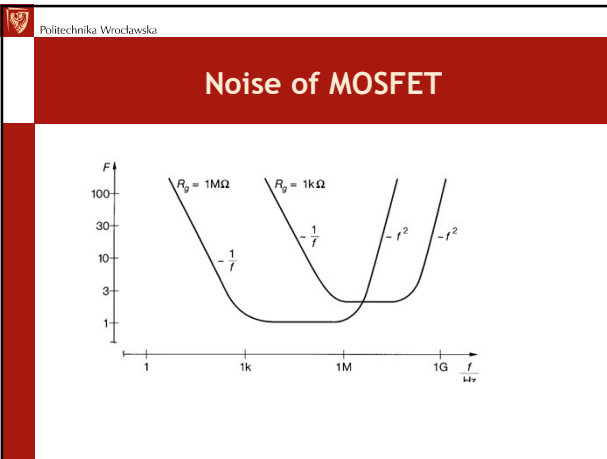
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## Choosing transistor

- BJT
  - is better for low  $R_g$  - source resistances (for high frequencies) - low  $R_{bb}$  and high current  $I_C$  are recommended ( $U_n/I_n$  low);
  - for high  $R_g$  the  $I_C$  should be reduced (for low frequencies);
- FET
  - is better for high source resistances ( $U_n/I_n = R_{gopt}$  is high);
  - noise  $1/f$  is higher (corner is higher);
  - low noise transistors are low frequency;

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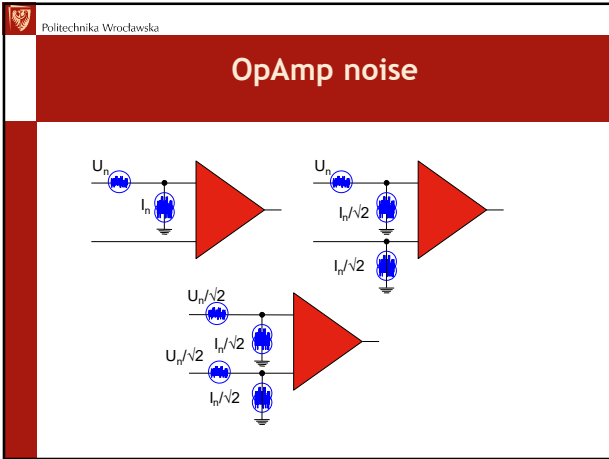
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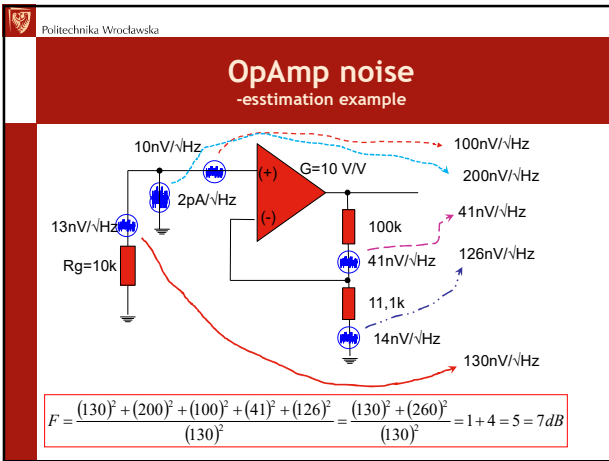
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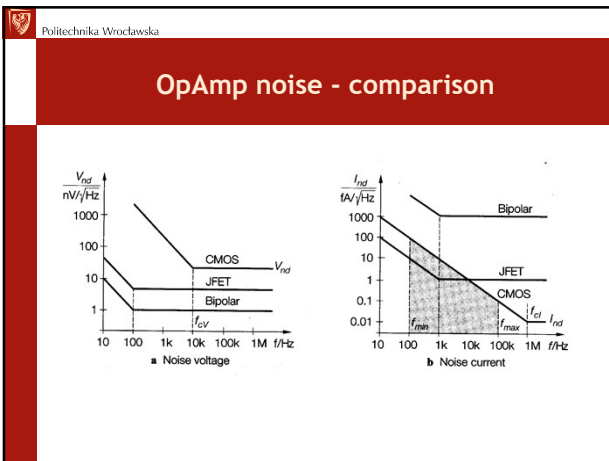
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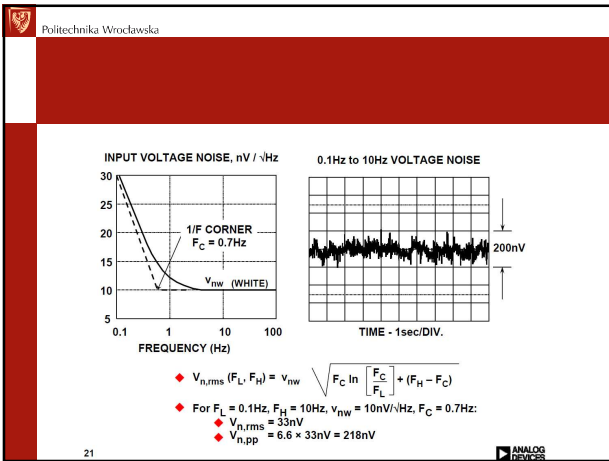
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- Politechnika Wroclawska
- ## Summary
- What is noise ?
  - Sources (types) of noise,
  - Basic relationships for thermal, shot, and flicker (1/f) noise,
  - Noise bandwidth,
  - Equivalent input noise sources,
  - Noise factor - definition,
  - Noise matching,
  - Noise temperature,
  - Amplifier cascade noise (noise optimization of system)
  - Operational amplifier noise (comparison),
  - Noise coefficient of bipolar and field-effect transistors (comparison),

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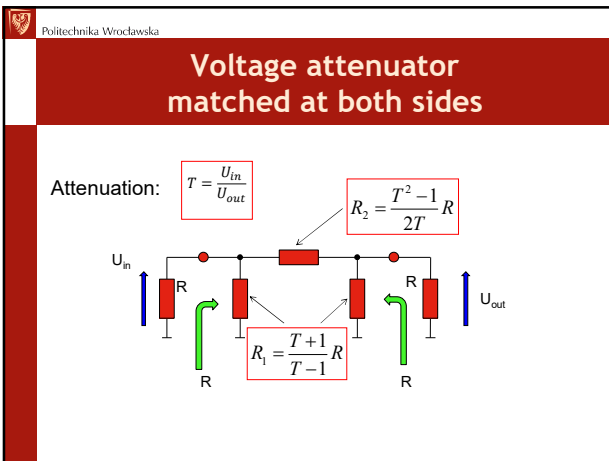
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