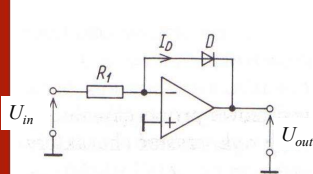


OpAmp Some Nonlinear Applications

Logarithmic circuit



$$I_D = I_{CS} \exp\left(\frac{U_{BE}}{\varphi_T}\right)$$

$$U_{out} = -\varphi_T \ln 10 \log \frac{U_{in}}{I_S R_f}$$

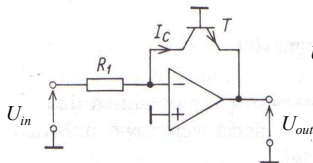
$$U_{out} \approx -(1..2) \cdot 60mV \cdot \log \frac{U_{in}}{I_S R_f}$$

Small voltage rang (2 decades) caused by:

- series resistivity of diode
- φ_T is not a constant value (φ_T can change with current)



Logarithmic circuit



$$U_{out} = -U_{BE} = -\varphi_T \ln \frac{U_{in}}{I_{CS} R_f}$$

$$I_C = I_{CS} \exp\left(\frac{U_{BE}}{\varphi_T}\right)$$

Advantages:

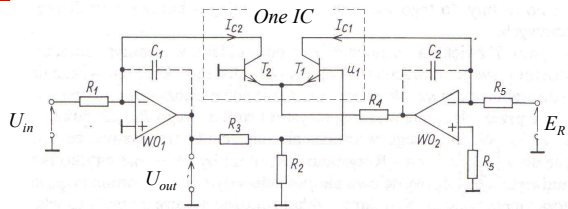
- Wider voltage range (up to 9 decades) as φ_T is „more stable”

Disadvantage:

- Temperature instability



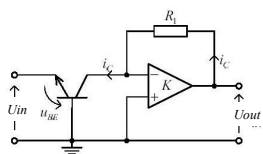
Logarithmic circuit - practice temperature compensation



$$U_{out} = -\varphi_T \left(1 + \frac{R_3}{R_2} \right) \ln \left(\frac{R_5 U_{in}}{R_1 E_R} \right)$$



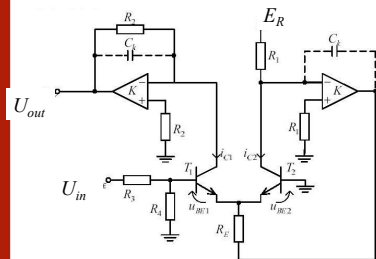
Exponential circuit



$$U_{out} = i_C R_1 = I_{CS} R_1 \exp \left(-\frac{U_{in}}{\varphi_T} \right)$$



Exponential circuit - practice temperature compensation



$$U_{out} = E_R \frac{R_2}{R_1} \exp \left(\frac{U_{in} R_4}{\varphi_T R_3 + R_4} \right)$$



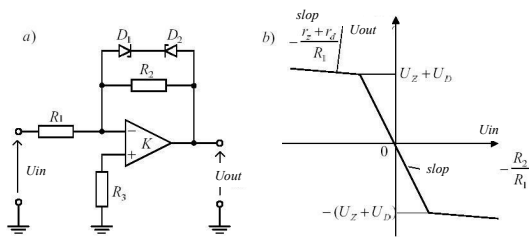
Voltage limiter

$$u_{wy} = f(u_{we})$$

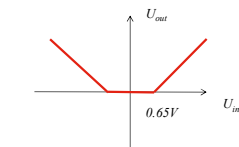
$$U_{out} = \begin{cases} U_{out\ min}; & \text{for } U_{in} < U_{in\ min} \\ A_v U_{in}; & \text{for } U_{in\ min} < U_{in} < U_{in\ max} \\ U_{out\ max}; & \text{for } U_{in} > U_{in\ max} \end{cases}$$



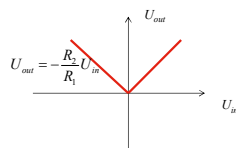
Signal limiter



Precise rectifier



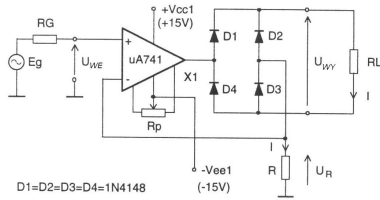
$$U_{out} = -\frac{R_2}{R_1} U_{in}$$



$$U_{out} = -\frac{R_2}{R_1} U_{in}$$



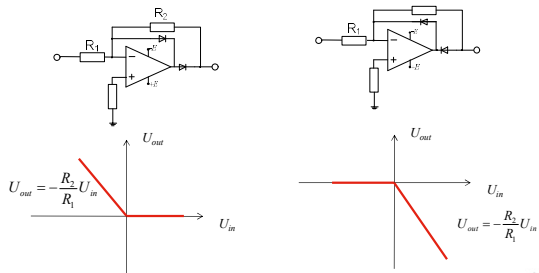
Precise rectifier



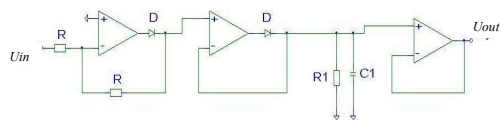
D1=D2=D3=D4=1N4148



Half Wave Rectifier



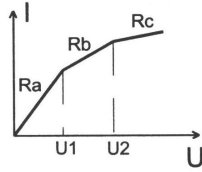
Precise peak rectifier



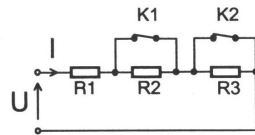
$$U_{out} = \max(U_{in})$$



Segment approximation



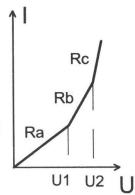
$R_a = R_1$
 $R_b = R_1 + R_2$
 $R_c = R_1 + R_2 + R_3$



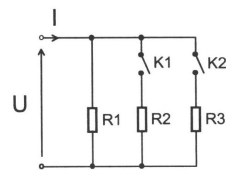
K1 and K2 close for $U < U_1$
K1 open for $U > U_1$
K2 open for $U > U_2$



Segment approximation



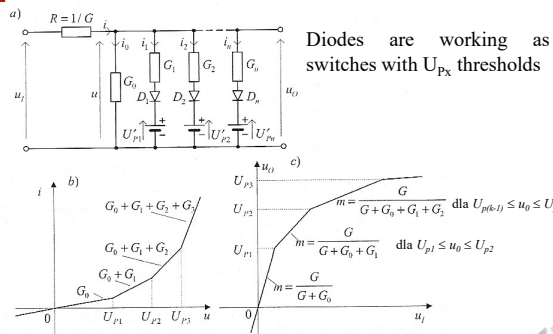
$R_a = R_1$
 $R_b = R_1 || R_2$
 $R_c = R_1 || R_2 || R_3$



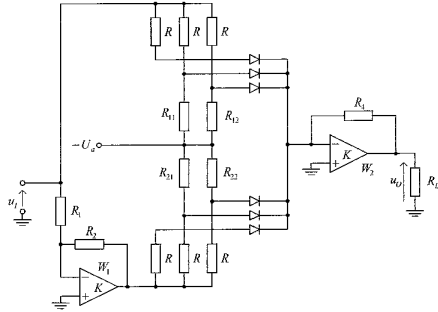
K1 and K2 close for $U < U_1$
K1 open for $U > U_1$
K2 open for $U > U_2$



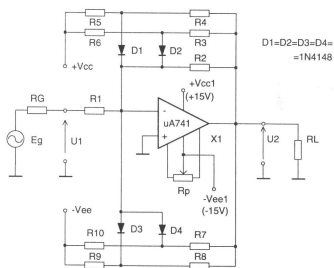
Segment approximation practice



Segment approximation of square function (parabolic)



Segment approximation triangle to sin shaper



Problems

- *Log exp functions*
- *Voltage limiters*
- *Rectifier*
- *Segment approximation*



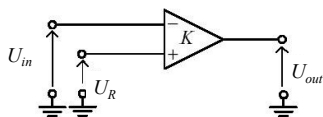
Comparators

U.Tietze, Ch.Schenk, E.Gamm, Electronic Circuits. Handbook for Design and Application, 2nd Edition, Springer : Chapter 6.5.1





Definition



$$U_{out} = \begin{cases} 1 & \text{for } U_{in} < U_R \\ 0 & \text{for } U_{in} > U_R \end{cases}$$

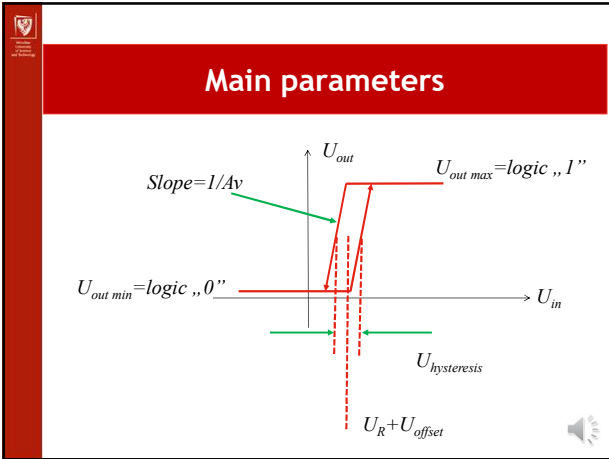




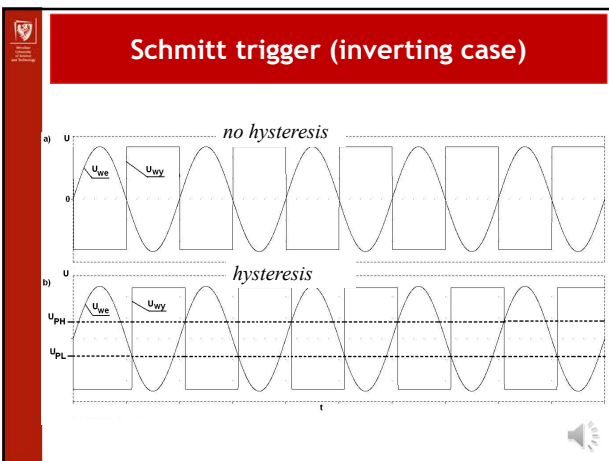
Main parameters

- gain A_v [V/V],
- CMRR,
- SR,
- offset,
- sensitivity ($\min U_{in1} - U_{in2}$),
- with/without hysteresis
- time delay,
- maximum input voltages (common, differential)
- output voltages (logic levels),
- maximum output current,.

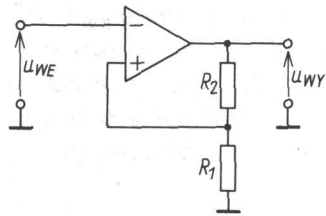




- ### Comparators by function
- Zero voltage detector ($U_R = 0V$),
 - Level discriminator ($U_R \neq 0V$),
 - Window comparator ($U_{R1} < U_R < U_{R2}$)
 - Schmitt trigger (with hysteresis and positive feedback).



**Schmitt trigger (inverting case)
positive feedback (regenerative
comparator)**



**Schmitt trigger (inverting case)
positive feedback (regenerative
comparator)**

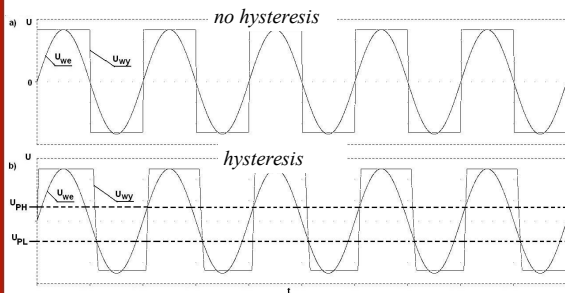
$$U_{PL} = \frac{R_1}{R_1 + R_2} U_{out\ min}$$

$$U_{PH} = \frac{R_1}{R_1 + R_2} U_{out\ max}$$

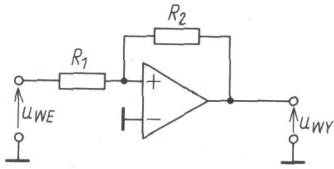
$$U_{hysteresis} = \frac{R_1}{R_1 + R_2} (U_{out\ max} - U_{out\ min})$$



Schmitt trigger (non-inverting case)



Schmitt trigger (non-inverting case) positive feedback (regenerative comparator)



Schmitt trigger (inverting case) positive feedback (regenerative comparator)

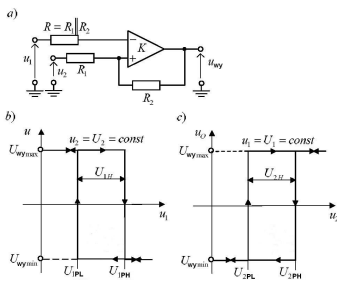
$$U_{PL} = -\frac{R_1}{R_2} U_{out\ min}$$

$$U_{PH} = -\frac{R_1}{R_2} U_{out\ max}$$

$$U_{hysteresis} = -\frac{R_1}{R_2} (U_{out\ max} - U_{out\ min})$$



Schmitt trigger - general case



Schmitta trigger - universal

Inverting case:

$$U_{1PL} = \frac{R_2}{R_1 + R_2} U_2 + \frac{R_1}{R_1 + R_2} U_{out\ min}$$

$$U_{1PH} = \frac{R_2}{R_1 + R_2} U_2 + \frac{R_1}{R_1 + R_2} U_{out\ max}$$

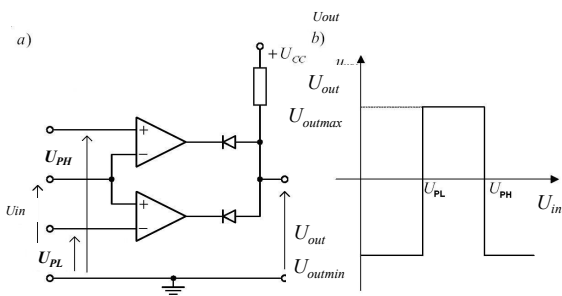
Non-inverting case:

$$U_{2PL} = \frac{R_1 + R_2}{R_2} U_1 - \frac{R_1}{R_2} U_{out\ max}$$

$$U_{2PH} = \frac{R_1 + R_2}{R_2} U_1 - \frac{R_1}{R_2} U_{out\ min}$$



Window comparator



Summary

- Comparator – definition
- Comparator – parameters
- Comparator types:
 - zero detector,
 - level detector,
 - Schmitt trigger, hysteresis
 - window comparator





Examples of test questions

- Draw a simple logarithmic/exponential circuit.
- What is the principle of operation of a nonlinear circuit with segment approximation?
- Explain the principle of operation of a window comparator.
- Explain the concept of hysteresis and how it is implemented.
